Extensible syntax analyzers

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Problem statements

L – some formal language; $T: L \to R$ – it's translator; $L_{ext} \supset L$ – some extended language; $T_{ext}: L_{ext} \to R_{ext}$ – it's extended translator.

 $\forall \omega \in L$ $T_{ext}(\omega) = T(\omega)$ We want compatibility!

Disclaimer

Consider syntax analyzers only.

Fixed algorithm of syntax analysis.

Extension due to modification of the grammar only.

What is syntax analyzer?

SA converts a word to a syntax tree.

- What is syntax tree?
 - Root is labeled by the axiom of the grammar
 - Inner nodes are labeled by non-terminals
 - Leaf nodes are labeled by terminals or nonterminals or ε

Classic parse tree

Grammar:

 $A \rightarrow aBd$

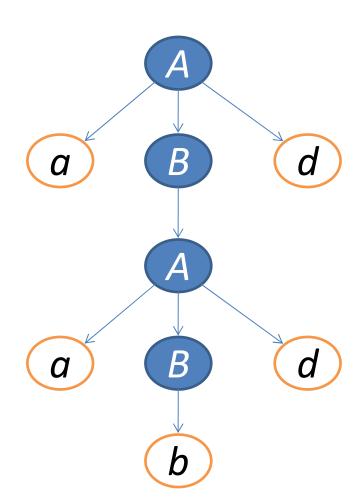
 $B \rightarrow b$

 $B \rightarrow A$

Word: "aabdd"

Derivation:

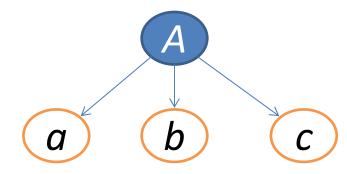
 $A \rightarrow aBd \rightarrow aAd \rightarrow aaBdd \rightarrow aabdd$



Classic parse tree Is it good enough?

 G_1 :

 $A \rightarrow abc$

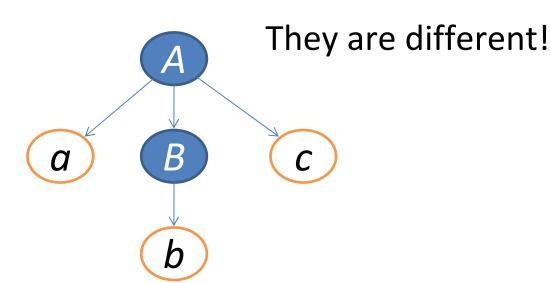


Extended G_2 :

$$A \rightarrow aBc$$

$$B \rightarrow b$$

Word: "abc"



Classic parse tree Is it good enough?

$$G_1$$
:

$$A \rightarrow a$$

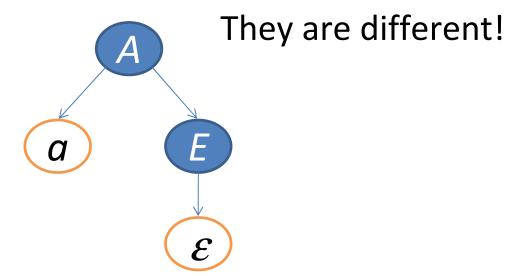


Extended G_2 :

$$A \rightarrow aE$$

$$E \rightarrow \varepsilon$$

Word: "a"



Cancelled tree

- Driven by labeled grammar
- Cut off some inner nodes from parse tree
- Cut off ε-leafs from parse tree

Is much better for parser extension!

Cancelled tree example

Labeled grammar:

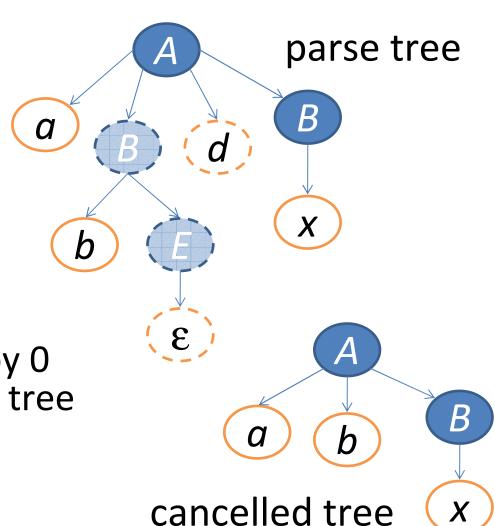
$$A \rightarrow a^1 B^0 d^0 B^1$$

$$B \rightarrow b^1 E^0$$

$$B \rightarrow x^1$$

$$E \rightarrow \varepsilon^0$$

- Symbols labeled by 0 are not present in tree
- ε-leafs are always labeled by 0



Intermediate results

- Labeled grammar
- Syntax analyzer driven by labeled grammar
- Canceled tree as a result of syntax analysis

So how can we extend grammars without breaking compatibility?

Compatibility: $\forall \omega \in L \quad SA_{ext}(\omega) = SA(\omega)$

Extending transformations of grammars

f – extending grammar transformation

G - grammar

$$L(f(G)) \supseteq L(G)$$

Extending transformations

 ADD-transform adds some fixed new production to a grammar.

• EXTRACT-transform:

before: $A \rightarrow \alpha^x \beta^y \gamma^z$

after: $A \rightarrow \alpha^{x}B^{0}\gamma^{z}$

 $B \rightarrow \beta^y$

Extending transformations

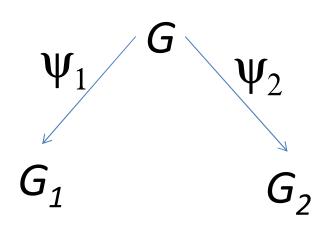
AE* – all transforms, composed from arbitrary number of ADD- and EXTRACT-transforms.

Results

Compatibility

- 1. Any transform from AE* doesn't break compatibility of corresponding syntax analyzers.
- A grammar extended by AE* transform has the same production labeling as initial grammar has on the common productions. (AE* doesn't change labeling of unchanged productions)

Independent transforms



$$\Psi_1, \Psi_2 \in AE^*$$

$$G_2 \in Domain(\psi_1)$$
?
 $G_1 \in Domain(\psi_2)$?

$$G_{12}$$
 ???

When it is possible? How can we do it?

Independent transforms

What if $G_1 \notin Domain(\psi_2)$?

Sometimes we can solve this problem!

$$A \rightarrow \alpha \beta \gamma \delta$$

$$\psi_1: A \to \alpha\beta C\delta; C \to \gamma$$

 ψ_2 : $A \rightarrow \alpha B \delta$; $B \rightarrow \beta \gamma$

Decision! $\psi_2/\psi_1: A \to \alpha B \delta; B \to \beta C$

Conflict!

ψ/ϕ – a fixed transform

- ψ/ϕ "fixed" ψ , which can be applied after ϕ
- Sometimes we can't fix ψ ... \otimes

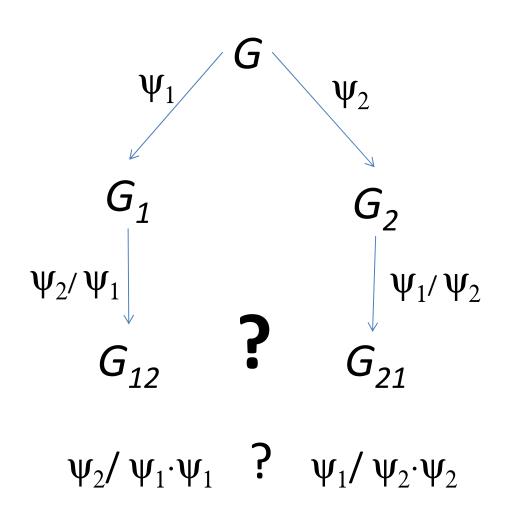
$$A \rightarrow \alpha \beta \gamma$$

$$\psi: A \rightarrow X\gamma; X \rightarrow \alpha\beta$$

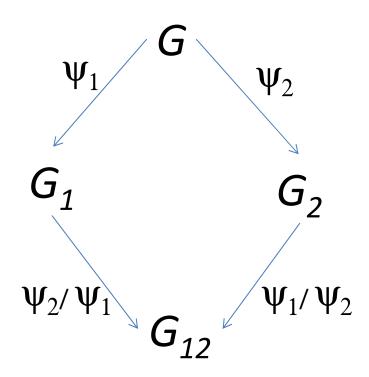
$$\phi: A \rightarrow \alpha Y; Y \rightarrow \beta \gamma$$

- Recursive definition of the function ψ/ϕ for ψ and ϕ from AE^* .
- Sometimes ψ/ϕ is not defined.

Independent transforms



Independent transforms



$$\psi_2/\psi_1\cdot\psi_1 = \psi_1/\psi_2\cdot\psi_2$$

Conclusion

- Syntax analyzers
 - driven by labeled grammars
 - cancelled trees as a result
- AE* a way to extend grammars safelly
- ψ/ϕ a way to compose independent grammar transforms
- Order of application of the extending transforms doesn't matter!

Thank you! Questions?